

Computing challenges in Coded Mask Imaging

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High Performance Computing in Observational Astronomy, JUCA, Paris, Oct 2009

1

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The Coded Mask Technique
is the worst possible way of making a telescope

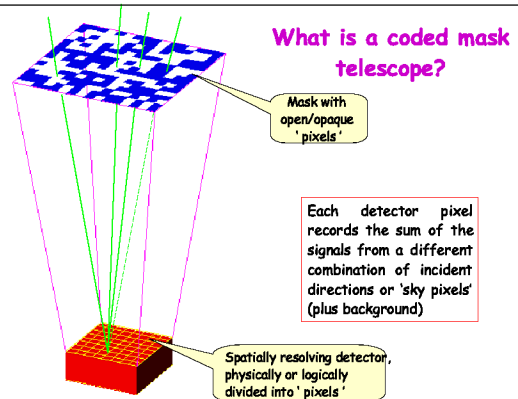
Except when you can't do anything better!

- Wide fields of view
- Energies too high for focussing, or too low for Compton/Tracking detector techniques
- Very good angular resolution

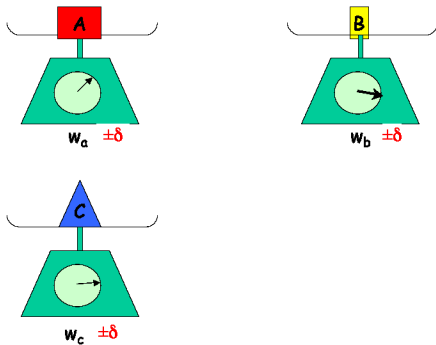
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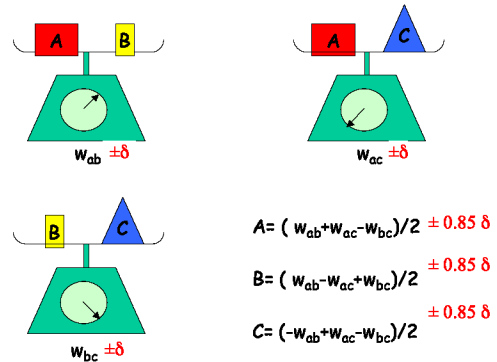
3



1) The simplest 's' approach to weighing 3 objects



2) Weighing of 3 objects by a member of the Club of the Difficult Approach



In general:-

N objects (unknowns)
N measures of selected combinations
 Uncertainty reduced by factor $\sim N^{1/2}/2$

Only works because we have supposed that the uncertainty is independent of the quantity being measured - the equivalent of a background limited observation

Mask

Patterns

- Hexagonal or rectangular
- Cyclic or non-cyclic
- Random, URA, MURA, ...

Construction

- Low energies (e.g. 10-20 keV)
- etched metal foil (often gold-plated to increase absorption)
 - usually self supporting (grid or bars connect isolated elements)
 - Additional 'Spider' or supporting bars == part of the mask pattern

- High energies (e.g. 1 MeV)
- Blocks of Tungsten a few cm thick
 - can have a 'substrate' (e.g. Carbon fibre honeycomb)

The Coded Masks for Integral



JEM-X
 Energy: 3-100 keV
 535mm dia
 0.5mm Tungsten
 3.3 mm pitch
 Resolution 3 arc min

IBIS
 Energy: 15-10000 keV
 1064 mm square
 16 mm Tungsten
 11.2 mm pitch
 Resolution 12 arc min

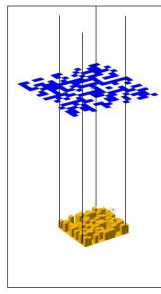
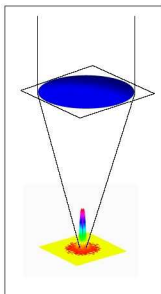


SPI
 Energy: 20-8000 keV
 770 mm dia
 3 cm thick Tungsten
 60 mm pitch
 Resolution $\sim 2.5^\circ$

Position sensitive detectors for coded mask telescopes

Detector Technology	Approx Energy Range (keV)	Examples	Notes
CCD	0.5-10	HETE-2 SXC	1-d 39 arc sec resolution !
Gas-filled Proportional Counter	2-50	Spacelab-2 TTM, SAX-WFC ROXTE ASM HETE-2 WXM Integral : JEM-X	Space Shuttle Mir-Kvant Space Station 1-d 1-d
Arrays of semiconductor detectors	5-100	Lept (CZT) Integral : ISRO (CdTe)	MiniSat-01
Anger Camera	50-1000	Sigma Exite-2	On Granat Balloon
Array of Scintillator detectors	100-10000	New Hampshire DGT Integral : PDIXIT	Balloon
Array of Germanium detectors	20-10000	SAGE Integral : SPZ	Balloon

Point Source Response Function

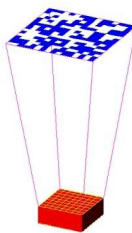


A coded mask telescope has the worst **PSF** imaginable
 The response to a point source isn't just 'a bit blurred',
 it fills the whole detector plane !

The Point Source Response Function

Blurring can always be removed by image processing
 But

- 1) Deblurring is always done at the expense of noise
- 2) For a coded mask telescope, every point in the image is affected by the noise from the whole detector plane



How to recover an image

Basic method :
'Correlation with the Mask Pattern'

Recorded pattern is Convolution of source distribution and the mask pattern, plus some background B

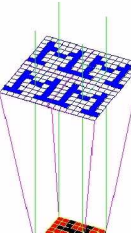
$$D = S \otimes M + B$$

Suppose we form an image as †

$$\begin{aligned} I &= M \otimes D = M \otimes S \otimes M + M \otimes B \\ &= M \otimes M \otimes S + M \otimes B \\ &= ACF(M) \otimes S + M \otimes B \end{aligned}$$

where ACF indicated the Autocorrelation function.

If ACF(M) were a Delta function and if $M \otimes B$ were zero we would have recovered S.



'Optimum coded' designs or 'URAs' (Uniformly Redundant Arrays)

Certain patterns have the properties:

- Their DISCRETE, CYCLIC autocorrelation function is indeed a Delta function, PLUS A FLAT LEVEL.
- For uniform background, $M \otimes B$ is not zero, but it is at least FLAT.


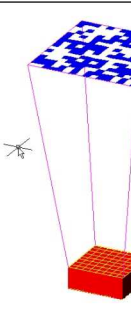
If you can:

- Arrange that coding is cyclic
- Use Binned (discrete) arrays
- Be prepared to subtract a DC level

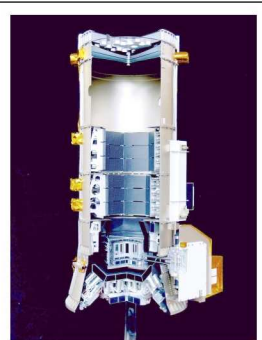
Then this is just what is needed

'Optimum coded' designs or 'URAs'

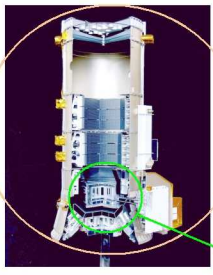


URAs are closely related to 'Cyclic Difference Sets'. Different families of cyclic difference sets yield Mask patterns which look quite different but which all have the desired properties - all have an ACF of the same form.

Imaginary



(More) real

Some aspects of real systems

- Non cyclic
- Mask Closed element absorption
- Mask Open element transparency
- Mask Element Thickness
- Obstructions in Mask Plane
- Detector finite position resolution
- Detector efficiency non-uniformities
- Detector response dependent on off-axis angle
- Detector background non-uniform
- Gaps in the detector plane
- Dead/inactive pixels in the detector plane
- Shielding (collimation) imperfect
- Obstructions between detector and mask
- Leaks onto detector from far outside the fov

Mask

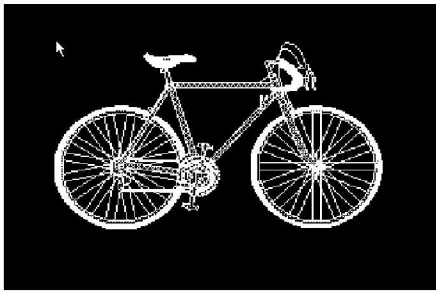
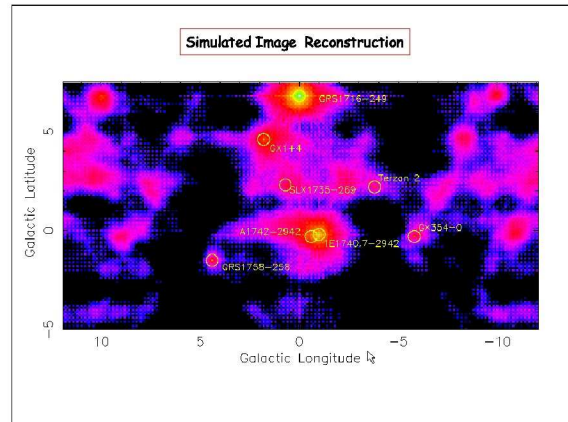
Detector

Other

Correlation with the Mask Pattern used with Real (Imperfect) Coded Mask Telescopes

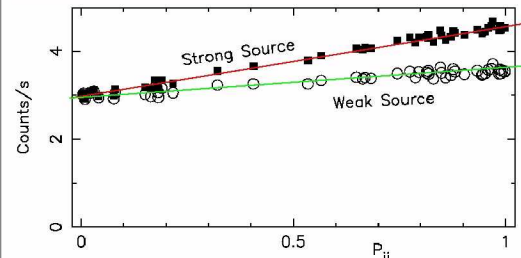
Correlation methods are often used even for real, imperfect, non-optimum, systems based.

- It is can be fast, taking advantage of Fast Fourier Transforms
- It always gives some sort of an image, even for non-ideal systems
- For a single point source it yields the best possible sensitivity (smallest uncertainty on the intensity estimate)



Mask Pattern
used in simulation

Detected count rate versus source / detector-pixel transmission factor

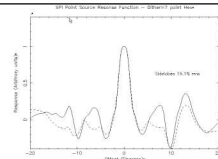


Peak height in Correlation map \otimes Slope of line \otimes Source strength
Intercept \otimes Background per pixel

Data points with $P_{ij} \sim 0.5$ ('grey' mask elements)
are of little value in defining the slope

The realities lead to

- Ghosts/Sidelobes
(simple approach to reconstruction)
 - Additional noise
 - Interpixel correlations
- (more sophisticated reconstruction)



Fortunately coded mask telescopes are not very sensitive !

- 100 σ detection, 5% ghosts - important
- 5 σ detection, 10% ghosts - who cares?

Patching-up the Correlation approach

Handle non-cyclic systems by extending arrays
Substitute estimates based on means for missing data
Correct for background variations
Correct for sensitivity variations
etc, etc

Iterative removal of sources (IROS)



Assume all sources are pointlike
Identify the brightest one using a correlation map
Fit the source position and subtract the data predicted for that source taking into account all the effects in the REAL system
Form a correlation map from the residuals

Coded Mask Telescopes - Matrix Approach

One wants to obtain the intensity of the sky in each of M 'pixels' :
 $S_0, S_1, S_2, S_3, \dots, S_{M-1}$

One measures N linear combinations of the S_p

$$D_i = \sum_{j=0}^{M-1} h_{ij} S_j \quad (i = 0, N-1)$$

Objective - given the D_i deduce the S

If $M=N$, in principle, it's easy. Using matrices we can write

$$\begin{bmatrix} D_0 \\ D_1 \\ \vdots \\ D_{N-1} \end{bmatrix} = \begin{bmatrix} h_{00} & h_{01} & \dots & h_{0M} \\ h_{10} & & & \\ \vdots & & & \\ h_{N-1,0} & & h_{N-1,M-1} & \end{bmatrix} \cdot \begin{bmatrix} S_0 \\ S_1 \\ \vdots \\ S_{M-1} \end{bmatrix}$$

$$[D] = [H] \cdot [S]$$

Matrix approach - the case of $M=N$

number of unknowns = number of measurements

Starting from

$$[D] = [H] \cdot [S]$$

one can obtain the intensities S of the sky pixels utilising

the inverse matrix

$$[S] = [H]^{-1} \cdot [D]$$

- For an **imaginary** (ideal, URA/optimum) cyclic system, this is (almost) exactly equivalent to the correlation method
- For a **real** system, in principle it allows you to get rid of **ALL** ghosts/sidelobes.

Matrix approach - 1st problem: $M > N$

i.e. fewer measurements than sky pixels

This is the usual situation if you make a simple staring observation (More sky pixels than independent detector positions + unknowns associated with detector background)

An **under-determined** problem

Solution - fit different masks and make an observation through each

or (more practicable) make more observations with offset pointing directions

⇒ OVER determined problem ⇒ Use Moore-Penrose Generalised Inverse

Matrix approach 2nd problem: Noise Amplification

Starting from

$$[D] = [H] \cdot [S]$$

one can obtain the intensities S of the sky pixels utilising

the inverse matrix

$$[S] = [H]^{-1} \cdot [D]$$

BUT, in fact you obtain a measure D with uncertainties added

$$[D] = [H] \cdot [S] + [n]$$

where $[n]$ is a matrix of noise

and if there are large values in H^{-1} the noise can become enormous

Minimising Noise Amplification

- In good signal-to-noise data a (generalised) inverse matrix approach allows for all instrumental effects and removes ghosts
 - but it adds noise
- In low signal-to-noise cases, a matrix method equivalent to the correlation approach minimises the effects of noise
 - but it adds noise
- Minimum Error Matrix Methods
 - provide the optimum compromise between the two

Other approaches to image reconstruction

- **Maximum Entropy**

Allows all instrumental effects to be taken into account and finds image which is consistent with the data which has no information which is not 'required' by the data

Iterative - each iteration uses a correlation to find how image should be modified
- **Back Projection**

If all exposure and coding efficiency effects are taken into account Equivalent to correlation methods

Fast for few photons (bursts)

The scale of the problem

		SPHlike		IBIS-like	
<u>Measurements</u>					
Detector pixels per pointing		19	100	10^4	10^4
Pointings		25	200	1	25
Total	N	475	10^3	10^5	$2.5 \cdot 10^5$
<u>Unknowns</u>					
Sky pixels		400	500	$2 \cdot 10^4$	$2 \cdot 10^4$
Backgrounds		19	500	10	10
Total	M	419	1000	$2 \cdot 10^4$	$2 \cdot 10^4$
		Number of operations			
<u>ME Matrix Approach</u>					
To invert matrix (brute force)	N^4	6.10^{10}	$2 \cdot 10^{17}$	10^{16}	$4 \cdot 10^{21}$
To invert matrix (iterative)	$M \cdot N^2$	10^8	$4 \cdot 10^{11}$	$2 \cdot 10^{12}$	10^{15}
To multiply by the matrix	$M \cdot N$	10^5	$5 \cdot 10^5$	$2 \cdot 10^5$	$5 \cdot 10^5$
<u>Correlation Approach</u>					
Matrix multiplication	$M \cdot N$	$2 \cdot 10^5$	$5 \cdot 10^5$	$2 \cdot 10^5$	$5 \cdot 10^5$
FFT	$(M+N) \cdot \ln(M+N)$	10^4	$2 \cdot 10^5$	$4 \cdot 10^5$	N.A
<u>Back Projection</u>					
	$M \cdot N_{photons}$				

Extracting Spectra

So far haven't considered spectra

Can divide events into 'pulse height' bins and do all of the above for each bin

Or identify sources, then solve best fit intensity in each pulse height bin

In either case, end up with a spectrum in a new observation space.

Then take out the effects of the combined 'hardware + software instrument', using a response matrix describing that pseudo-instrument, plus standard model fitting techniques.

Point Source Positioning Accuracy

Suppose the telescope length is l and the mask pixel size is m . Ignoring the effects of detector resolution the angular resolution would be m/l . But the detector resolution blurs the mask pattern. Roughly $m \rightarrow (m^2 + d^2)^{1/2}$.

Thus the angular resolution (Full Width at Half Maximum) of the PSF is about

$$\theta = \frac{(m^2 + d^2)^{1/2}}{l}$$

But sources can be positioned with better accuracy than this.

A guideline is that the point source position uncertainty is about θ/n_σ

where the source is detected with significance n_σ

$$\Delta = \frac{(m^2 + d^2)^{1/2}}{n_\sigma l}$$

Point Source Sensitivity

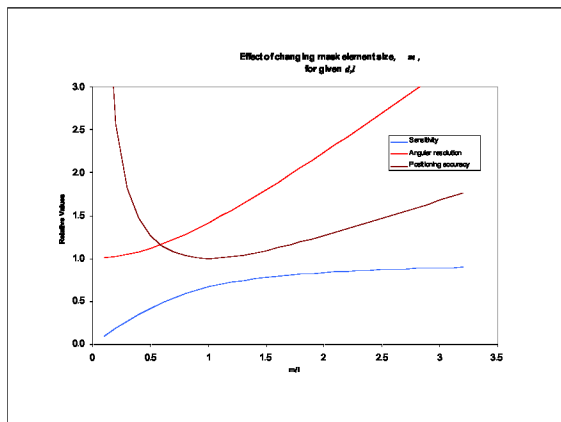
Ignoring the effects of detector resolution, and assuming 50% mask transparency the significance of detection of a point source (its flux, divided by the noise) is approximately:

$$n_\sigma = \frac{N_{\text{phot}}}{(N_{\text{phot}} + N_{\text{BG}})^{1/2}}$$

where N_{phot} is the number of photons detected from the source and N_{BG} is the total number of events in the detector.

But finite detector resolution reduces significance by a factor

$$\text{Max} (1 - d/3m, (m/d)(1 - m/3d))$$



Why bad resolution is good

- The angular resolution of SPI could have been better!

So why didn't it made better?

Surely it would be advantageous for studying point sources and for studying diffuse emission you can always combine pixels together to have the equivalent of a lower resolution instrument

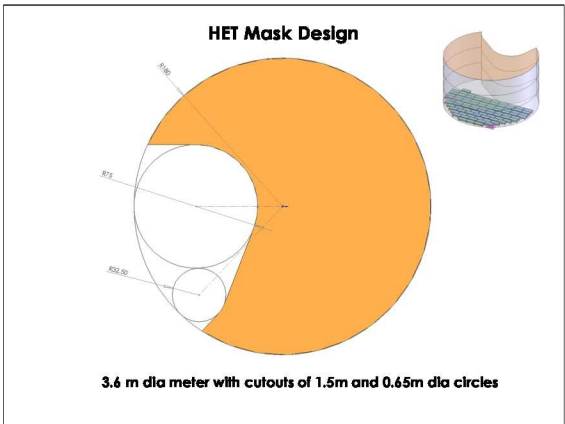
Answer - you can combine pixels, but you for diffuse sources you loose compared with an observation made with a lower resolution instrument

	Instrument 1	Instrument 2	
Angular Resolution	4 deg	1 deg	
Point Source sensitivity	S	S	phot/s
Diffuse source sensitivity	S/16	S	phot/s/deg ²
Diffuse source sensitivity	S/16	S/4	phot/s/deg ²
(smoothed to 4 degree resolution)			

Conclusions

- Coded mask Imaging will never be able to compete with focussing systems using lenses or grazing incidence mirrors **in circumstances where those can be used.**
- It is a well studied and well understood technique which has already led to important discoveries
- It is likely to continue to play a valuable rôle in circumstances where other techniques can't be used.

-
- Tungsten Mask
(7.7 m²)
- 3.6m
- 2.0m
- CZT Detector
4.5 m²
- Pb/Ta/Sn/Cu
Side Shield
- GRB detection
Survey
- Continuous scanning mode:
360° per orbit
(~ 4' per sec)
- The EXIST High Energy Telescope (HET)**



Imaging requirements

- Image reconstruction while continuously scanning
- Automatic detection of gamma-ray bursts and new transients
 - On board
 - Rapid
 - Precise location
- Short Bursts (< a few seconds)
 - Detection in time domain (rate increase)
 - Imaging to find location
- Long Bursts/Transients
 - Detection by differencing images

} Either way
imaging
and location
in a few sec

- | | | |
|---------------|----------------------------|---|
| Field of view | $90^\circ \times 70^\circ$ | } $\Rightarrow \sim 4 \times 10^7$ pixels |
| Resolution | 2' on-axis | |
| | 1' at edge of f.o.v. | |
| Oversampling | 2×2 | |
- Coded mask image reconstruction :
- Cross-correlation
 - Brute force 4×10^{15} 'operations' per image
 - FFT 7×10^9 " " "
 - Back projection 3×10^{12} 'operations' per sec*
- *assuming 40000 events per sec

New generations of space-qualified processors

Eg

Tilera 'Opera' (due to be used on the MISTRO mission in 2010)

Coherent Logix's Hyper-X (due for flight on MISSE-7 in Nov 2009)

~1000x the 21020 DSP processor used for BAT image reconstruction

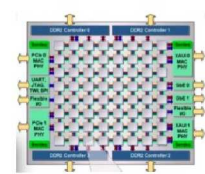
Performance, Power, Complexity

Commercial FPGAs

Foundry/Reconfigurable RMPs

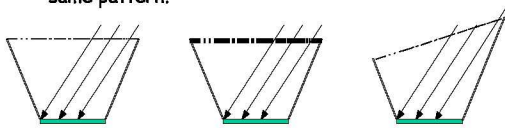
Rad-Hard Moore's Law

1995 2000 2005 2010



When can you use an FFT?

when the pattern with which you want correlate the data pattern are simply (subsets of) shifts of the same pattern.

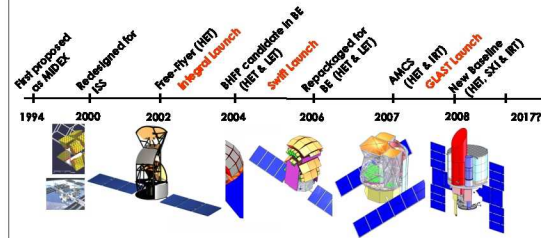


Thin, parallel mask:
FFT OK

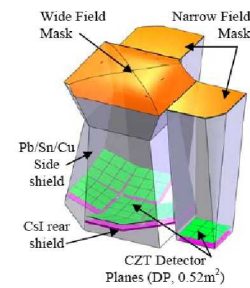
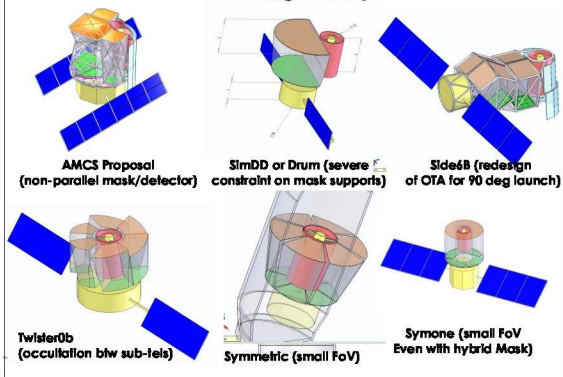
Thick mask:
FFT approximate

Tilted mask:
FFT not useful

History of EXIST



HET Design History



One of the instrument concepts rejected partly because of the difficulty of on-orbit image reconstruction.

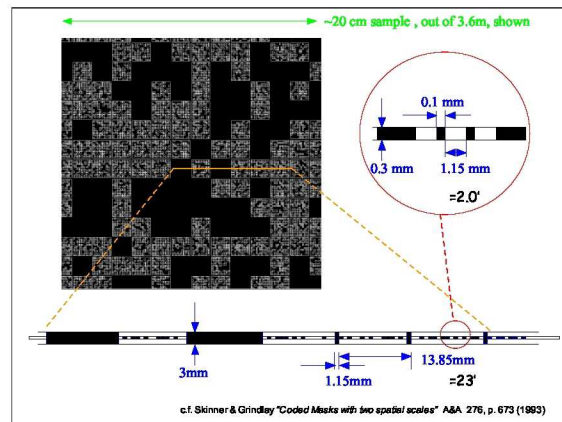
Mask Autocollimation - another hurdle to overcome

Wide field of view + limited diameter
→ short mask-detector separation

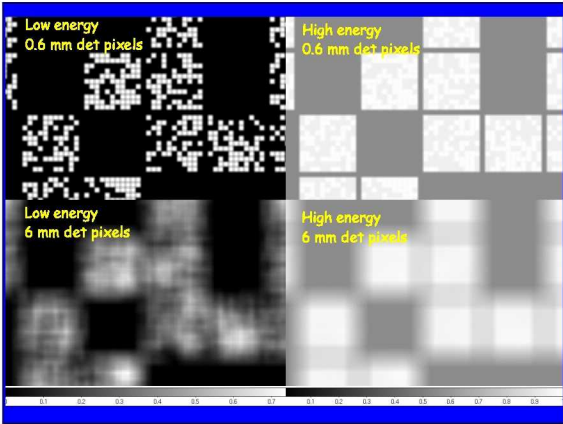
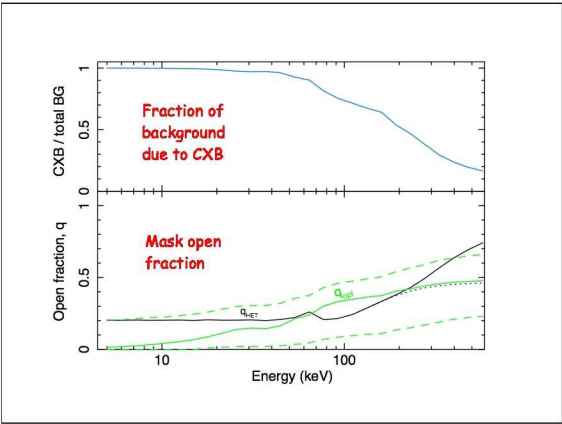
Good angular resolution + short mask-detector separation
→ small mask elements

High energy response → thick mask

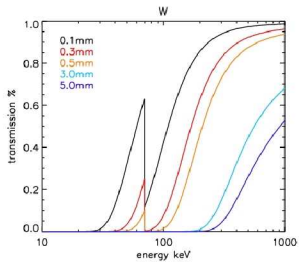
Thick mask + small mask elements
→ narrow field of view



c.f. Skinner & Grindley "Coded Masks with two spatial scales" A&A 276, p. 673 (1993)



Transmission through Tungsten Mask



1. Bin the data into coarse detector bins, correcting for mean shadow motion (ie Time Domain Integration, TDI)
2. Predict the response for each known bright source in the field of view; fit for the intensity of the source; subtract from the binned data array
3. Reconstruct a **coarse** image by FFT
4. Search the image for possibly significant points, using a low threshold (e.g. $N_{\sigma 1} = 3.9\sigma$)
5. For each possibly significant point, make full resolution local images around the location by back projection, using detailed mask information and spacecraft attitude at the time of arrival of the photon
6. Optional subtraction of a reference image
7. If there is a peak greater than a higher threshold (e.g. $N_{\sigma 2} = 7.2\sigma$) in one of these local images is considered a valid trigger

1 step

Operations: 7×10^9 (FFT)

Threshold: 7.2σ

False trigger rate:
 3×10^{-13} per pixel per image
 6×10^{-6} per image
0.5 per day

2 step

Operations: 7×10^7 (FFT)
 1.5×10^8 (Back proj)
 2.2×10^8 (Total)

Threshold 3.9σ (stage 1)
 7.2σ (stage 2)

False trigger rate:
 3×10^{-13} per pixel per image
10 per image (stage 1)
0.5 per day (stage 2)

Conclusions

A major aspect of EXIT will be a sort of 'super-Swift'

The HET will be the equivalent of Swift/BAT

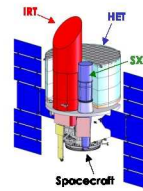
HET will have 12 million detector pixels
in place of BATs 32768

Despite this increase the on-board computing can be handled thanks to new generation processors, a hybrid mask, and 2-stage image processing / event detection

1. If the time range exceeds that for which TDI is possible, divide the data into sub-periods
2. For each sub-period
 1. Bin the data into coarse detector bins, correcting for mean shadow motion (ie TDI)
 2. Predict the response for each known bright source in the field of view; fit for the intensity of the source; subtract from the binned data array
 3. Reconstruct a coarse image by FFT
3. If there are multiple sub-periods, overlay and combine the images
4. Search the image for possibly significant points, using a low threshold (N_{01})
5. For each possibly significant point, make full resolution local images around the location by back projection, using detailed mask information and spacecraft attitude at the time of arrival of the photon
6. Optional subtraction of a reference image
7. If there is a peak greater than a higher threshold (N_{02}) in one of these local images is considered a valid trigger

The EXIST Mission Overview

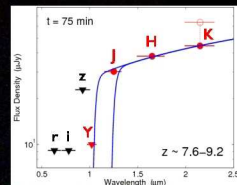
- A Multi-wavelength Observatory to probe the early Universe through high- z GRBs, survey all scales of BHs and monitor the Transient X-ray sky.



- **High Energy Telescope (HET):** wide-field coded-aperture hard X-ray imaging telescope with 4.5m² CZT (5 – 600 keV)
- **Optical/Infrared Telescope (IRT):** 1.1m visible-IR telescope with HyVSI and Hawaii2RG for both imaging and spectroscopy (0.3 – 2.2 μ m)
- **Soft X-ray Image (SXI):** 0.6m X-ray telescope with CCD (0.1 – 10 keV) contributed by Italy/ASI

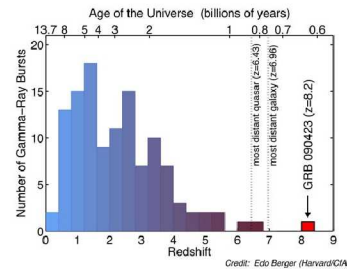
- 2 yr of scanning sky (similar to *Fermi*) and 3 yr of follow-up observations (similar to *Swift*); Immediate follow-up on GRBs and Transients throughout the mission

GRB 090423: $z \sim 8.26$ (Tanvir et al. 2009)



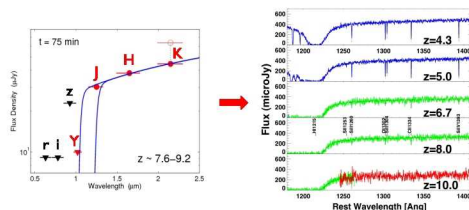
Gemini-N NIRI

Science Goal: high- z GRBs as Cosmic Probe



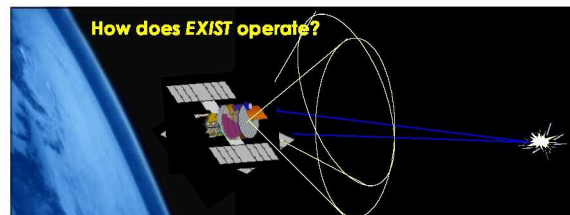
$z = 8.2$ is ~ 630 Myr after the Big Bang
4.6% of the current age of the Universe

Science Goal: high- z GRBs as Cosmic Probe



Rapid follow-up for onboard
optical/infrared imaging and spectroscopy

How does EXIST operate?

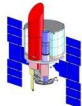


1. HET scans sky at orbital rate with zenith ($\pm 30^\circ$) pointing; covers sky every 2 orbits
2. Imaging in 90° FoV detects GRB or variable AGN or transient. Locates it to $\sim 20''$
3. Spacecraft slews to bring the location within the FoV of the SXI and IRT
4. Typically SXI identifies corresponding X-ray source and positions it to $\sim 2''$
5. IRT places corresponding object on slit for spectroscopy if bright enough, or in field for low resolution spectroscopy. Performs 4 band photometry in all cases. If no XRT ident, studies all objects in HET error circle in turn. On-board photometric redshift.
6. Follow-up pointing during following 1-2 orbits to make detailed SXI/IRT observations of afterglow, light curve of transient, etc. HET continues survey

Primary Science Objectives for EXIST
Survey and study Black Holes on all scales
 - stellar to supermassive

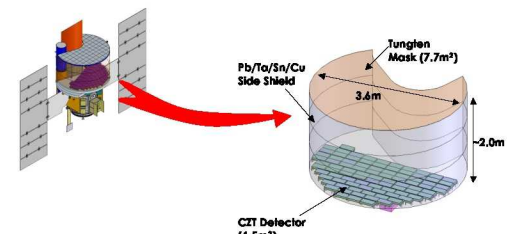
- Measure the birth of stellar black holes from cosmic **gamma-ray bursts** to measure prompt redshifts, constrain GRB physics and enable GRBs as probes of cosmic structure & reionization at redshifts $z > 7-10$
- Identify **supermassive BHs** in galaxies, whether obscured or dormant, to constrain SMBH properties, their role in galaxy evolution and the origin of the CXB, and accretion luminosity of the universe
- Measure the stellar and intermediate mass BH populations in the **Galaxy and Local Group** by a generalized survey for Transients for which prompt IDs and X-ray/HX/IR spectra distinguish SNe, SGRs & Blazars and complement Fermi, JWST, LSST, USA with prompt alerts for unique objects

Major Factors for Instrument Design



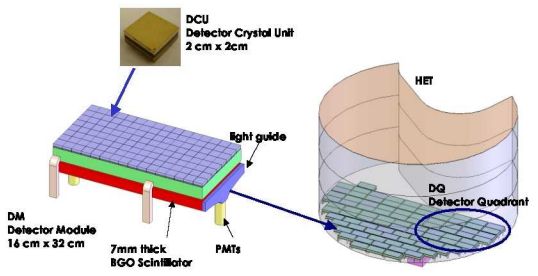
• Sensitivity (~ 0.10 mCrab in 1yr)	► ~ 4.5 m ² CZT
• GRB coverage ($> \sim 500$ GRBs) Full Sky in a few Orbits	► Wide FoV ($70^\circ \times 90^\circ$)
• High Z GRB redshift onboard	► 1.1 m Optical/IR Telescope (1.5m dia envelop)
• Angular Resolution ($2.6'$) Localization ($20''$ for 5 σ)	► 1.25mm fine mask pixel 0.6mm det. pixel 2m mask-det. distance
• LEO (600 km, $l \sim 22^\circ$)	► EELV (e.g. Atlas V-401: 3.7m dia x 5.2m envelope)
• Mission Cost ($\sim \$0.8-1.2B$)	

The HET Concept Overview

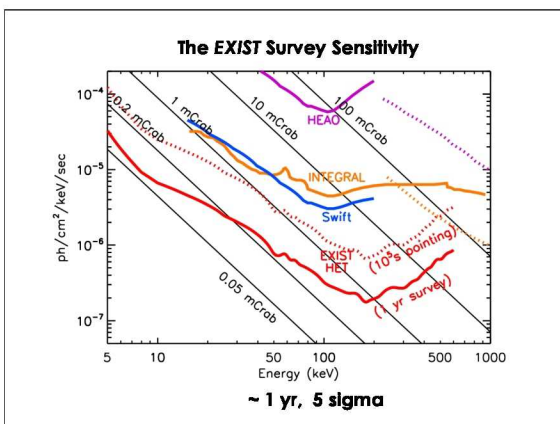


Wide-field Coded-Aperture Hard X-ray Imaging Telescope with
 4.5m² CZT (5 – 600 keV)

Detector Packaging Overview



1 DM = 27 DCUs $\sim 4.5W/DM$ Sits on optical bench	HET = 88 DMs or 4 DQs 1 DQ = 22 DMs 4.5 m ²
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How do we avoid systematic noise becoming important when the statistical (Poisson) noise is reduced by combining data to build up long integration times?

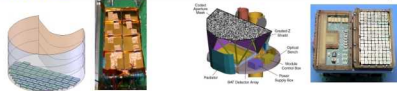
Scanning

How can we be confident that this has the desired effect ?

- 1) Analysis
- 2) Monte Carlo simulations
- 3) Experience with Swift

EXIST/HET vs Swift/BAT

Parameters	EXIST/HET	SWIFT/BAT
Telescope	4.7m ² CZT Det. + 6.5m ² W Hybrid Mask	0.5m ² CZT Det. + 2.7m ² Pb Mask
Energy Range	5 – 600 keV (5mm thick CZT) 600 – 3000 keV (BGO for GRBs)	15 – 200 keV (2mm thick CZT)
Sensitivity (5σ)	0.1–0.4 mCrab (<150 keV, ~1yr survey)	1mCrab (<150 keV, ~2 yr survey)
Field of View	70°x90° (10%)	50°x100° (50% coding)
Angular & Positional Resol.	1-2' resolution 20' pos for 5σ source (90% conf. rad)	17' resolution 3' pos for 5σ source
Sky Coverage	Nearly full sky every two orbits (3hr)	10s orbits – a few days
Spectral Resolution	2 – 3 keV (3% at 60 keV, 0.5% at 511 keV)	3 – 4 keV (5% at 60 keV)
Timing Resol.	10 μsec	100 μsec
CZT Detector	2x2x0.5cm ³ , 0.6mm pix, 12M pix 11264 crystals	4x4x2mm ³ , 4mm pixel, 32k pix 32768 crystals (256 modules)



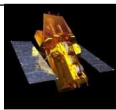
Summary

- Exist/HET will perform a survey, with near full sky coverage every two orbits (~3hr) for capturing GRBs/transients and exploring new variability
- 5–600 keV wide energy coverage with CZT detectors (<3 – 4 keV res., FWHM) for unveiling distant, obscured sources
- <20" localization (5σ), <100 sec slew for rapid onboard Optical/IR Imaging and spectroscopy of GRB afterglows
- Detect ~300 – 700 GRBs/year, including ~10 – 60 GRBs/year with >6 (Salvaterra et al, 2008, MNRAS, 385, 189)
- Detect ~20,000 AGNs from 2 yr scanning survey (~0.1 mCrab, 5σ) & additional ~10,000 in 3 yr pointed phase: full survey sensitivity ~0.05 mCrab or ~5 x10⁻¹³ cgs

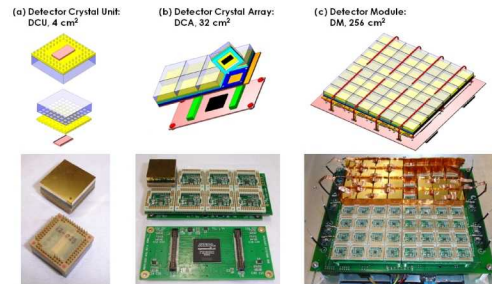


Key changes in EXIST/HET vs Swift/BAT

- CZT: Larger Area (9x) with finer pixels (9x) thicker CZT (2.5x)
 - 20" vs 3' localization
 - 5 – 600 keV vs 15 – 200 keV
- Low noise EX-ASIC: lower FWHM and lower threshold
- Sensitivity Improvement
 - ~5x for pointing in the same 15 – 50 keV band
 - ~3x for survey in the same 15 – 50 keV band
 - ~7x for survey for 5 – 15 keV (HET) vs. 15 – 50 keV (BAT) band
- Hybrid Mask
 - cover the wide energy band (5 – 600 keV) without significant auto-collimation
 - Fast two-step on-board imaging processing
- Scanning Operation
 - automatically minimize the unknown systematic-driven noise



ProtoEXIST1 CZT detector plane (RadNET ASICs)



Hong et al. 2009, NIM A, 605, 364 (astro-ph/0903.5363)

Power Projection for the EXIST Observatory

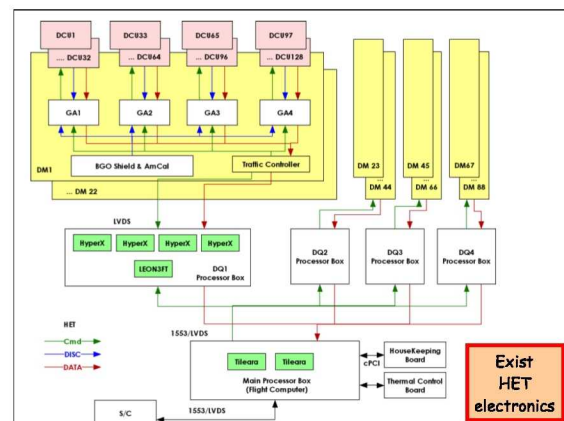
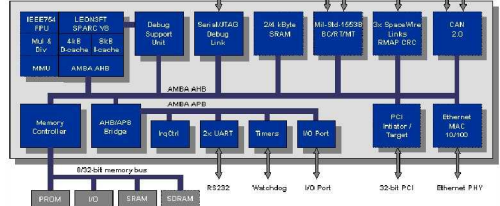
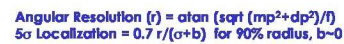
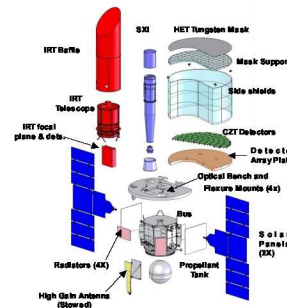
Components	CBE (W)
HET Total	716
EX-ASIC (20μW/pix, 11.5M pixels)	231
The rest of FEE & BEE	485
IRT Total	165
SXI Total	149
Spacecraft + Payload Common	1663
Total	2803

ASIC Road Map

Type	Channels	Matching Pixel Size	Power (μW/pix)	
RADNET	1-D 64	2.5mm	70	ProtoEXIST1, 2009
DB-ASIC	2-D 1024	0.6mm	80	ProtoEXIST2, 2010
EX-ASIC	2-D 1024	0.6mm	20	ProtoEXIST3, 2011
BPE ASIC	2-D 1024	0.6mm	<10	

Common Questions for Tech Development

- CZT Supply (300/month) : Currently available (Redlen Tech.)
- EX-ASIC develop (20μW/pixel) from DB ASIC (80μW/pixel)
Straightforward: power ~ 1/noise and ~2 keV vs ~0.4 keV noise requirements for EXIST vs NuSTAR
- CZT +ASIC hybrid :
 - NuSTAR: DB ASIC + Gold-stud bond
 - HET: EX-ASIC + TLPS bond (Creative Electron Inc)
- HET processors: hybrid mask allows efficient two step Imaging processing
- HET thermal: follow the heritage of the BAT



TILE64™ Processor
Product Brief

Overview

The TILE64™ family of multicore processors delivers immense compute performance to drive the latest generation of embedded applications. This revolutionary processor features 64 identical processor cores (blue) interconnected with Tiler's iMesh™ on-chip network. Each tile is a complete full-featured processor, including integrated L1 & L2 cache and a non-blocking switch that connects the tile into the mesh. This means that each tile can independently run a full operating system, or multiple tiles taken together can run a multi-processing OS like SMP Linux.

DARPA / DTRA RHBD 2 Program

■ **Enable Rad-Hard ASICs on advanced commercial fab processes**

- High performance, low power
- Leverage supported IP & tools
- Foundry flexible assured sources

Hardness Targets	
Total Ionizing Dose	> 2 Mrad(Si) (OPERA > 500 Krad(Si))
Single Event Upset	< 1E-10 errors/bit-day (Adams), LET _{Th} > 20
Single Event Latchup	LET _{Th} > 120 Mev-cm ² /mg
Dose-Rate Upset	>1E10 rad(SiO ₂)/sec

Acceptable RHBD Penalties	
Area	≤ 2X
Speed	≤ 1.5X
Power	≤ 2X

The MAESTRO Chip

■ **RHBD version of the Tiler TLR26480 processor**

- 7 x 7 tile array
- IBM 9SF 90 nm CMOS process
- 480 MHz, 70 GOPs, 14 GFLOPs average
- < 28 Watts Peak (selectable)
 - Possible to no-op cores and reduce power
 - ~ 270 mW per core
- Integrated floating point unit in each tile processor
 - IEEE 754 compliant, single and double precision
 - Aurora FPU IP
- 500 Krad TID
- Demonstrate NASA TRL-6 by December 2010
- Software compatible with the Tiler TLR26480
 - Reduced number of cores, slower clock speed, added FPU
- Tiler TLR26480 information can be found at www.tiler.com

The END